

Department of Electronics & Communication Engineering
Question Bank
BTEC-304-18 (Network Theory) 3rd Semester

TWO MARKS QUESTIONS:

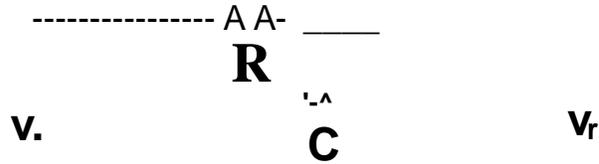
1. Differentiate between active and passive filters.
2. Mention the various applications of filters.
3. Draw the ideal characteristics of low pass, high pass, band pass, band elimination filters.
4. What *do* you mean by Network synthesis? How this different is from network analysis.
5. Discuss the short coming of constant K filter section.
6. State any two properties of Laplace transform.
7. How do you classify various filters?
8. Discuss the merits and demerits of digital over analog filters.
9. Explain the terms: Cut set and Cut set matrix.
10. Explain the applications of graph theory.
11. Explain where we use attenuators.
12. Define active and passive circuit elements.
13. Find the Laplace transforms of the function: $\sin 3t$, $t \sin 2t$.
14. Write few applications of Laplace transforms.
15. Compare ideal and practical voltage and current sources.
16. Write the basic circuit elements and their duals.
17. Define Tree and Rank of a graph.
18. What are unit function, unit ramp function, unit impulse function & unit doublet function?
19. Define Resonant frequency.
20. What are shifter functions & State gate function.
21. What are poles and zeros?
22. What is a transfer function? Write necessary conditions for transfer functions.
23. Explain Routh criteria.
24. Write names of different types of filters.
25. Write basic equations representing transmission parameters.
26. Which parameters are preferred for cascade connected networks? And why?
27. Define eigenvalues and state vector.
28. What is the application of Reciprocity theorem?
29. Distinguish between a voltage source and current source.
30. What is driving point impedance?
31. List merits and demerits of Laplace transform.
32. What do poles signify?
33. Distinguish between Network analysis and synthesis.
34. What is the concept of duality?
35. What are composite filters ?
36. Define the tern time constant.
37. What is the significance of an impulse function?
38. Write necessary conditions for a function to be positive real function.
39. Why we synthesize the network?

40. Prove that ;

$$rc[tf(t)] = i - [F(s)]$$

41. State and prove reciprocity theorem.

42. Find impulse response on RC circuit as shown;



43. Discuss properties for positive real function.

44. State and prove convolution theorem.

45. What are values of inductances and capacitances in m derived band stop filters.

46. What are the conditions for characteristic impedances in the pass and stop bands?

47. Taking one example, explain nodal method for solving a network.

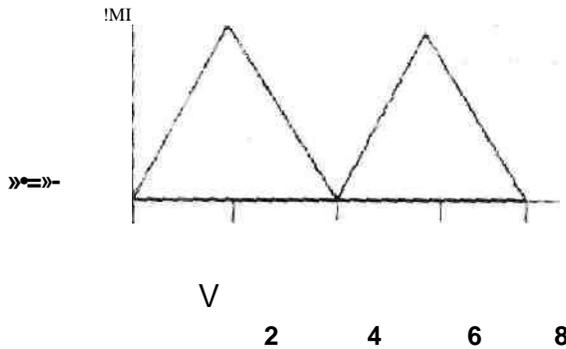
48. Synthesize as $Z(s)$

$$k_{fl} \cdot i / \dots k_2 \quad T 2^{-3} s$$

•+k₂-4-

K:

49. The voltage waveform applied to pure capacitance of 60 uF is as shown



sketch wave forms for current and power.

50. The values of ramp function at $t=S$ is quoted as.....

51. Among resistor, inductor and transistor which is non-linear device?

52. What is the lag/lead phase relation between voltage across R and X_i . when the two are in series?

53. In terms of ABCD parameters when is a two-port network symmetrical?

54. Write the Fourier transforms $F(j\omega)$ of an even function $f(t)$.

55. Write the expression of function $f(t)$ shifted by 'a'.

56. When the network N' a dual network N ?

57. When is a network said to be linear?

58. What is the number of different node pair voltage in a network that has 10 nodes and 17 branches?

59. What is the value of a unit impulse function.

60. Give h and I_p for a transformer with a 20:1 voltage step down ratio and

- has 6 V across 0.6 ohms in secondary.
61. What is the phase difference between applied voltage and current in a circuit having 90 ohms resistance in series with 90 ohms capacitive reactance?
 62. Thevenin's theorem can be applied to calculate current in what type of load?
 63. What is the number of independent loops in a network containing a conventional transformer and 8 elements with 5 nodes?
 64. Write the integral representing the convolution of two functions $f(i)$ and $z(i)$.
 65. Give the Laplace transform of a delay unit impulse function $S(t-i)$
 66. Voltage $V_1 = 60 \sin(\omega t - 30^\circ)$ and $V_2 = 40 \cos \omega t$ are given. Which voltage lags and by what amount?
 67. Write the transfer function of an electrical low pass RC network.

FIVE MARKS QUESTIONS:

1. A network has $Z(s) = \frac{1}{s} + \frac{2}{s+1} + \frac{3}{2s+1}$. Derive a circuit with the given $Z(s)$.
2. "Which of the following polynomials are Hurwitz?
 $S^4 + 3S^3 + 4S^2 - 5S + 6$
 $S^6 + 1$
 $S^6 + 7S^4 + 14S^2 + 8$
3. Design a *derived* low pass filter, having a *cut* off frequency of KHz and design impedance of 600ohms. The frequency of infinite attenuation is 1.25/c.
4. State and prove Norton's theorem.
5. The deriving point impedance of LC network is given by:
 $Z(s) = \frac{2S^2 + 12S^3 + 16S}{s^4 - j^2 4 - 3}$
 $r < 4 \text{ \& } -t$ Determine the second Caer form of the network.
6. A step voltage of 10V is applied at $t=0$ in a series RC circuit where $R = 1 \text{ ohm}$ and $C = 2F$. The initial charge on the capacitor is nil. Find $i(t)$.
7. For the given network function, draw the pole zero diagram and hence obtain the time domain response. Verify the result analytically.
 $iS + 2)(S - f - 7)$
8. Design a constant K low pass T-section filter to be terminated in 600ohms having cut off frequency of 3KHz. Determine:
 A: attenuation at 6KHz. B: the character impedance at 2KHz.
9. Design an attenuator to operate on a characteristic resistance of 500 ohms to provide an attenuation of 15dB.
10. A sine wave has a frequency of 50KHz. How many cycles does it complete

in 20ms?

11. A sine wave has a peak value of 25 V. Determine the rms, peak to peak, average values.
12. Realize the driving point impedance as Foster's first and second forms from

$$z(s) = \frac{(s^2 + 1)(s^2 + 4)}{s^2 + 2s + 4}$$

13. Derive expression for attenuation, propagation constant and characteristic impedance

for p type filter. 14 Derive the relation for resonant frequency for series RLC circuit. 15. A series RLC circuit has $R=5\Omega$, $C=20\mu\text{F}$ and a variable inductance with applied voltage of

having 1000 rad/sec frequency. Calculate the value of L when the voltage across the resistance is maximum. 16. Determine the Foster's first form after synthesizing the RL driving point impedance function.

$$Z(S) = \frac{s^2 + 2s + 4}{(s + 2)(s + 4)}$$

17. Draw the circuit diagram of a series RLC circuit fed by a voltage $V = V_m \cos \omega t$ and obtain expressions for current, voltage and phase difference between the two.
18. Draw the equivalent circuit of an iron cored transformer fed by a voltage source. Write down the KVL equations and draw the final circuit of the coupled system.
19. Give a comparison between logarithmic and Laplace transformation. Show how inverse Laplace transform converts frequency domain function $F(s)$ to time domain function $f(t)$.
20. Obtain Laplace transform of:
A: $f(t) = \exp(at)$
B: $f(t) = \sin \omega t$
21. Show how source transformation from voltage to current source and vice versa can be effected.
22. Split a series RLC circuit energized by an a.c. circuit into 3 loops and write the loop equations.
23. An a.c. RC parallel network is energized by an excitation due to a current source

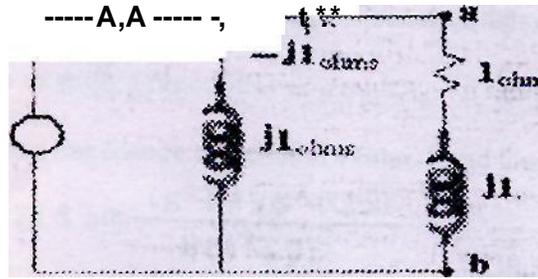
*' *' Determine the output voltage response across C.

24. Determine Laplace transform of a Sawtooth waveform of period T using the Gate theorem with an example.
25. Derive expression for attenuation, propagation constant and the characteristic impedance for p type filter.
26. Draw the circuit diagram of a two port network using Λ -parameters and derive its condition of symmetry.
27. The voltage applied to the series RLC circuit is 5 V. The q factor of the coil is 25 and the value of the capacitor is 200PF. The resonant frequency of the circuit is 200KHz. Find the value of inductance, the circuit current and the voltage across the capacitor.
28. A series circuit consist of two pure elements has the following current

and voltage.

$v = 100 \sin(2000t + 50^\circ) \text{ V}$, $i = 20 \cos(2000t + 20^\circ) \text{ A}$. Find the elements in the circuit

29. State and prove the reciprocity theorem with an example.
30. In a certain RC circuit, the true power is 300W and the reactive power is 1000W. What is the apparent power?
31. A voltage $v(t) = 10 \sin \omega t$ is applied to a series RLC circuit. At the resonant frequency of the circuit, the maximum voltage across the capacitor is found to be 400V and the impedance at resonance is 100ohms. Find the resonant frequency. Also find the values of L and C of the circuit.
32. A balanced star-connected load of $(4 - j3)$ ohms per phase is connected to a balanced 3-phase 400V supply. The phase current is 12A. Find the total active power and the total apparent power.
33. A series RLC circuit consists of a 50ohms resistance, 0.2H inductance, and 10uF capacitor with an applied voltage of 20V. Determine the resonant frequency. Find the Q factor of the circuit. Compute the lower and upper frequency limits and also find the band width of the circuit
34. A series RLC circuit has a quality factor of 10 at 200rad/sec. The current flowing through the circuit at resonance is 0.5A and the supply voltage is 10V. The total impedance of the circuit is 400ohms. Find the circuit constants.
35. A RLC series circuit is to be chosen to produce a magnification of 10 at 100rad/sec. The source can supply a maximum current of 10A and the supply voltage is 100V. The power frequency impedance of circuit should not be more than 14. Mohms. Find the values of R, L & C.
36. A current source is applied to the parallel arrangement of RLC where $R = 2$ ohms, $L = 2$ H and $C = 3$ uF. Compute the resonant frequency in rad/sec. Find the quality factor. Calculate the value of bandwidth. Compute the lower and upper frequency of the bandwidth. Compute the voltage appearing across the parallel element when the input signal is $i(t) = 10 \sin \omega t$ with $\omega = 800$ rad/sec.
37. A balanced star-connected load having an impedance $(15 + j20)$ ohms per phase is connected to a three-phase 440V, 50Hz supply. Find the line currents and the power absorbed by the load. Assume RYB phase sequence.
38. A three-phase balanced delta connected load of $(4 + j8)$ ohms, is connected across a 400V, 3-phase balanced supply. Determine the phase currents and line currents.
, Assume the phase sequence to be RYB. Also calculate the power drawn by the load.
39. The two wattmeter method is used to measure power in three-phase load. The net wattmeter readings are 400W and -35W. Calculate the total active power, power factor & the reactive power.
40. Using Laplace transform obtain an expression for circuit energized by a dc voltage V. Draw also the $i(t)$ vs t graph.
41. Assuming that the prior to closing of switch k (at $t=0$) there was no voltage across capacitor nor current in inductor, find $i(0^+)$, $i(\infty)$, f , ω .
- 42. Calculate the current through R_2 using Norton theorem.**



5V

Verify the same using nodal method.

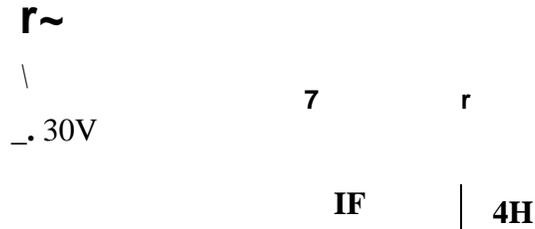
43. Determine the value of ω , resonant frequency, cut off frequency and design impedance for the following filter:

4.5H 45H

<U¥

nm

44. At $t=0$ the switch K. is closed, find the current drawn from the source.



TEN MARKS QUESTIONS:

1. Realize the function in the both Foster forms.

$$E(s) = \frac{s(s+4)}{2(s^2+1)(s^2+9)}$$

2. Design an M-derived low pass filter (T and p-section) to match a line having characteristic impedance of 500ohms and to pass signals upto 1.2KHz with infinite attenuation occurring at 1.2KHz.
3. Design a low pass composite filter to operate with a design impedance of 500ohms, $w=0.2$ and cut-off frequency=2000Hz.
4. Give design of w-derived band elimination filter. Derive necessary expressions.
5. What are network functions? What are properties of realizable network functions?
6. Write short notes on:
A: Laplace Transform of shifted functions. B: Superposition theorem.
7. Synthesize the following impedance function in Foster-1 and Cauer forms

$$Z(s) = \frac{(s^2+4)(s^2+25)}{s(s^2+9)}$$

8. Explain with examples the following:
Network graph, tree of graph and cut set and show that the number of links for a graph having n nodes and b branches is $b-nt 1$.
9. What is a composite filter? Design a composite high pass filter to operate into a load of 600ohms and have a cut-off frequency of 1.2KHz. The filter is to have one constant K-section, one w-derived section withal .1 KHz and suitable terminating half sections.
10. A: State the properties of LC driving point impedance function. B: Synthesize the LC driving point impedance function

$$z(s) = \frac{10s^2 + 4}{s^2 + 9}$$

to get the Cauer first and second

forms and draw the network.

11. Give the difference between the Transmission and Inverse Transmission Parameters for reciprocity and symmetry.
12. Draw the T and p-sections of a conventional filter using impedance Z_i and Z_o . Show that they can be made equivalent to two L or two T sections. Finally obtain the input impedance of a p-section filter.
13. Write the short notes on any two of the following:
A: Convolution theorem B: Constant K-filters C: Impulse Response
14. What are 'polar plots' and what its advantages are? Obtain the polar plot of a semisoidal network function $G(j\omega)$ and $G(j\omega)$ in the X-Y plane for a series RC circuit energized by voltage source $V_i(s)$, the output $V_2(s)$ being taken across C.
15. Write short notes on any two of the following:
A: Superposition & Millman's Theorems. B: Transient and steady response. C: Pass and stop bands.
16. An unbalanced four wire, star connected load has a balanced voltage of 400V, the loads are $Z_1=(4+j8)$ ohms; $Z_2=(3+j4)$ ohms; $Z_3=(15+j20)$ ohms. Calculate the line current in the neutral and the total power.